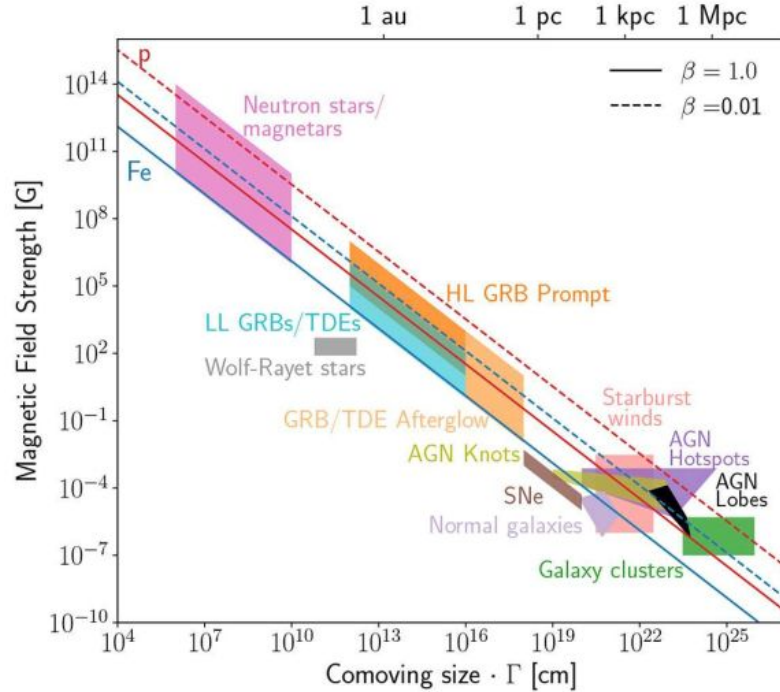


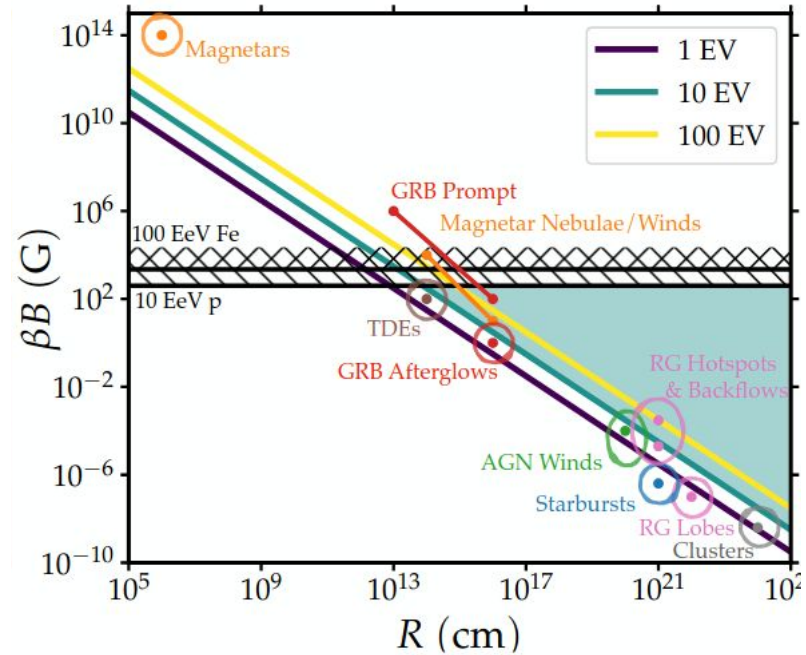
# A holistic view of UHECR sources populations, energetics, and observational constraints

Cainã de Oliveira  
James H. Matthews  
Edivaldo M. Santos

# Potential sources of UHECR



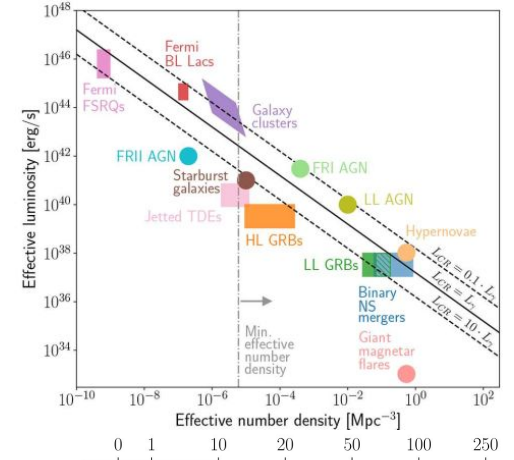
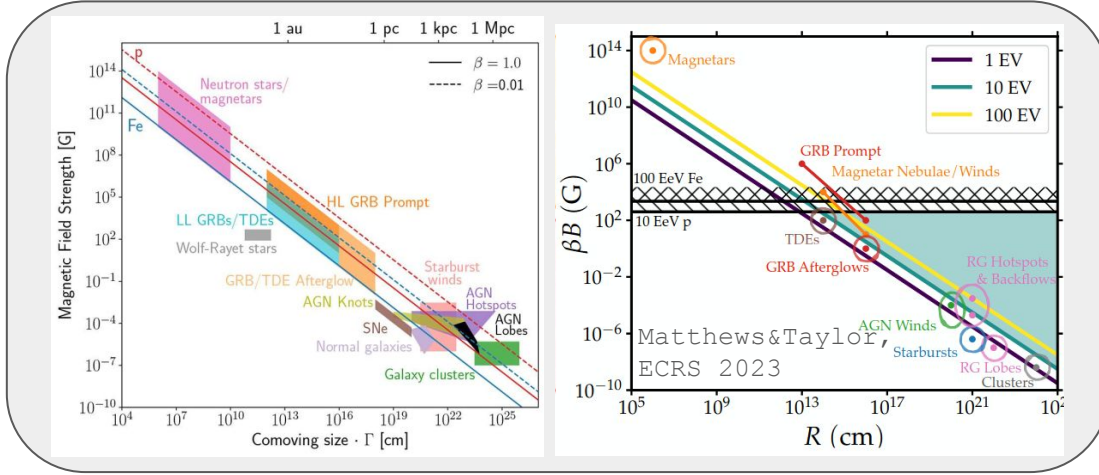
Alves Batista et al., FSPAS, 2019



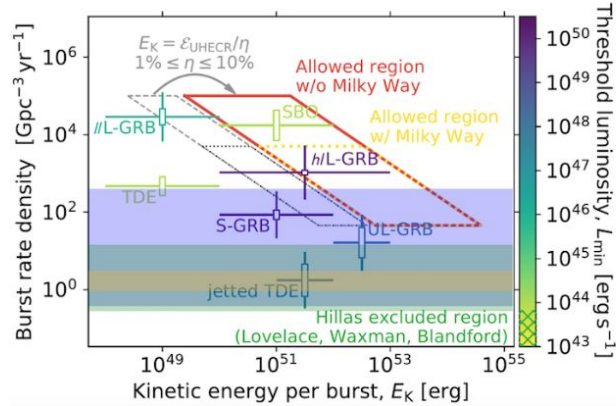
Matthews&Taylor, ECRS 2023

# Potential sources of UHECR

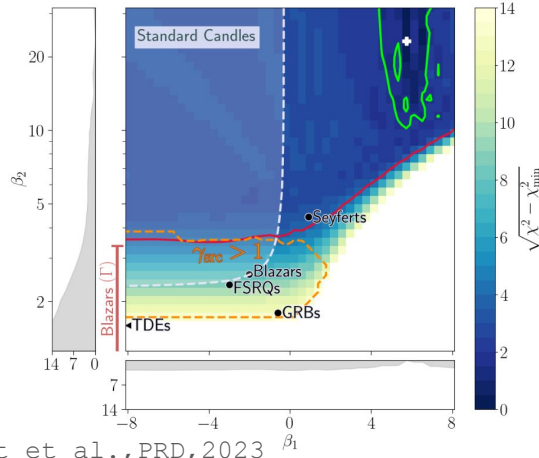
Alves Batista et al., FSPAS, 2019



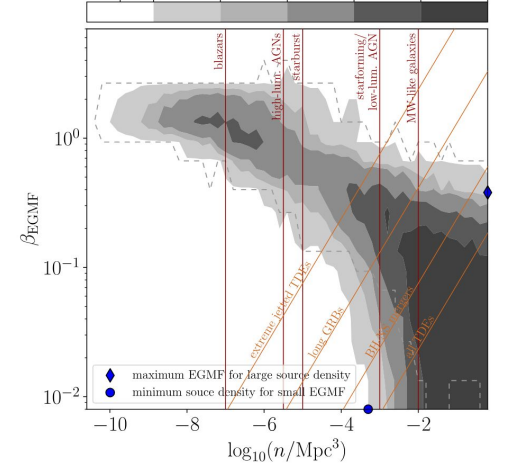
Alves Batista et al., FSPAS, 2019



Marafico et al., ApJ, 2024



Ehlert et al., PRD, 2023



Bister&Farrar, ApJ, 2024

- Study the constraints of UHECR in a unified scenario
- Populations: Radio Galaxies: FRI & FRII
  - Blazars: FSRQ & BL Lac
  - Tidal Disruption Events: All
  - Gamma-Ray Bursts: Long & Short
- Verify astrophysical consequences for sources
- Initially most ideal assumptions as possible/reasonable

- Populations can be characterized by Luminosity Functions

$$\frac{dN_{\text{src}}}{dV d\log L} = \rho_0 \left[ \left( \frac{L}{L_*} \right)^{\gamma_1} + \left( \frac{L}{L_*} \right)^{\gamma_2} \right]^{-1} e(z, L)$$

- Overall UHECR injection is associated with “total energy injection”
  - Continuous: Kinetic Power ( $Q_{\text{kin}}$ )
  - Bursts: Kinetic Energy ( $E_{\text{kin}}$ )
- Kinetic power/energy can be associated with Luminosity

## Luminosity Functions

$$\frac{dN_{\text{src}}}{dV d\log L} = \rho_0 \left[ \left( \frac{L}{L_*} \right)^{\gamma_1} + \left( \frac{L}{L_*} \right)^{\gamma_2} \right]^{-1} e(z, L)$$

FRI & FRII: de Jong et al. A&A 683 2024

BL Lacs: Ajello et al. ApJ 780 2014

FSRQ: Rajguru et al. ApJ 994 2025

TDE: Yao et al. ApJL 955 2023

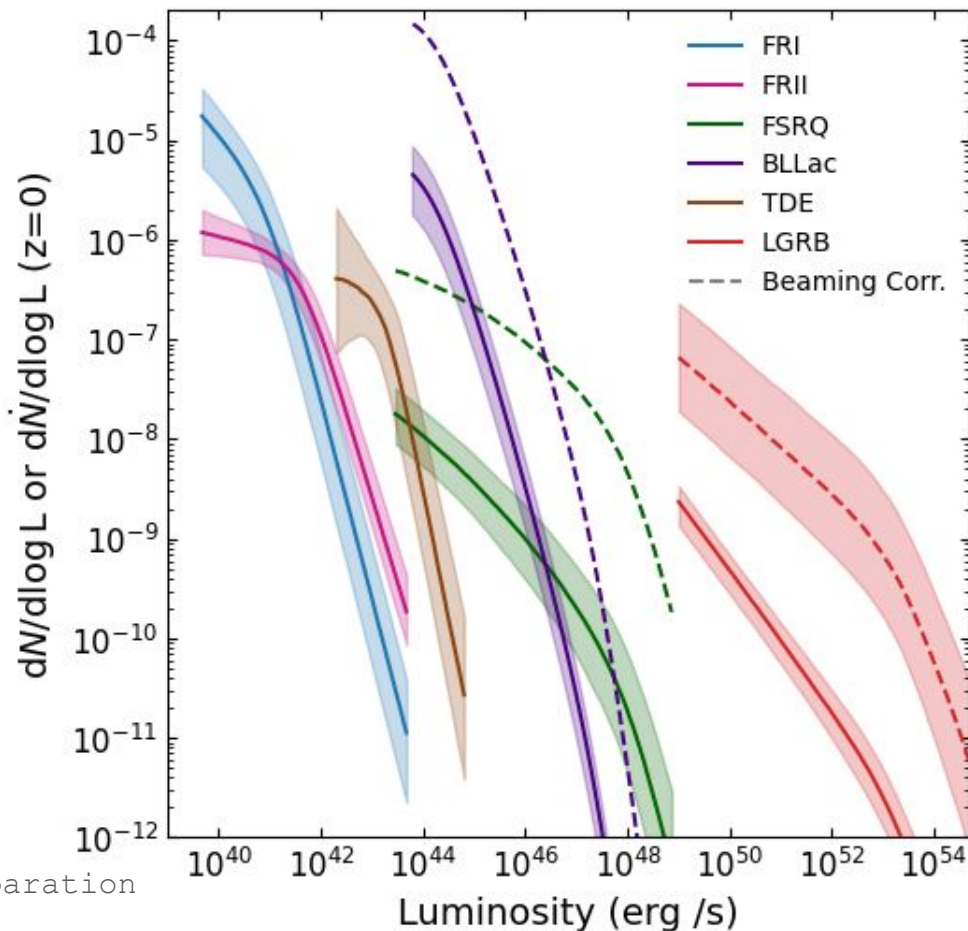
LGRB: Lan et al. MNRAS 488 2019

Beaming Factors

BL Lac/FSRQ: Chen et al. MNRAS 519 2023

LGRB: Nemmen et al. Science 338 2012

*cdo et al., in preparation*

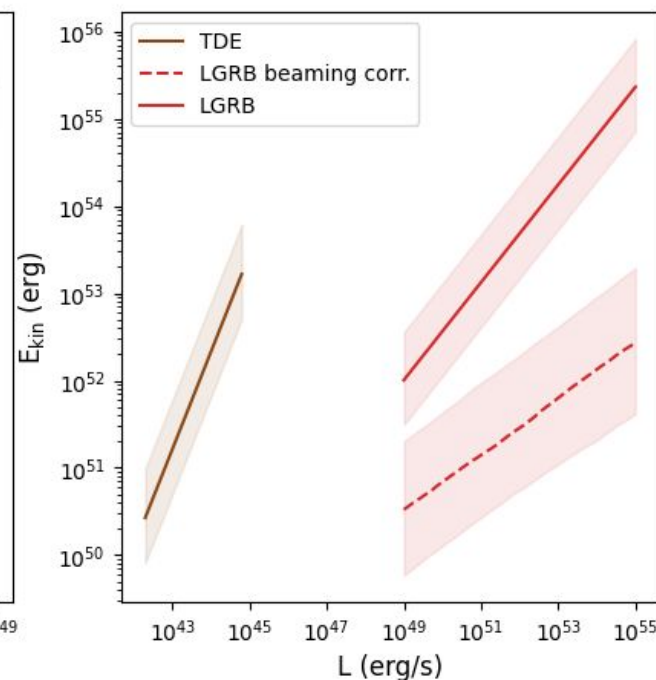
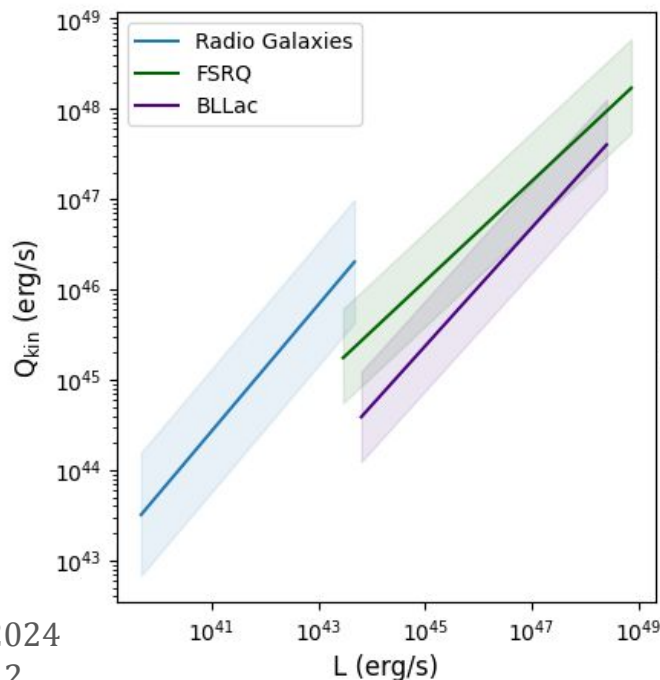


## Intrinsic Energetics: Scaling Relationships

For Continuous injection

$$Q_{\text{kin}} = Q_0 \left( \frac{L}{L_0} \right)^q$$

For Bursts  $E_{\text{kin}} = E_0 \left( \frac{L}{L_0} \right)^q$



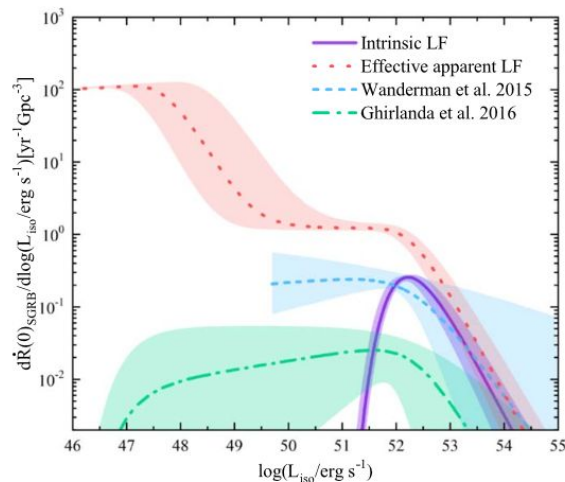
RG: Cavagnolo et al ApJ 720 2010

Blazars: Chen et al. MNRAS 519 2023

TDE: Ledd + Mummery et al MNRAS 2024

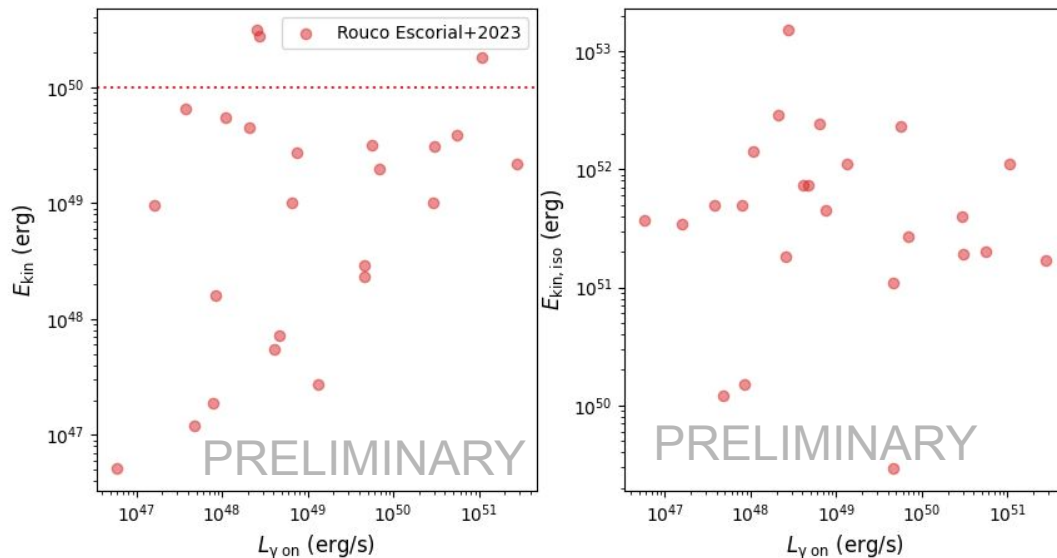
LGRB: Nemmen et al. Science 338 2012

## Luminosity Function?



Tan & Yu, **ApJ**, 2020

## Scaling Relationship?



CdO *et al.*, in preparation

## Alternative: “Universal” scenario SGRB/BNS

$$\dot{\rho}_{\text{BNS}} = 110_{-82}^{+192} \text{ Gpc}^{-3} \text{ yr}^{-1}$$

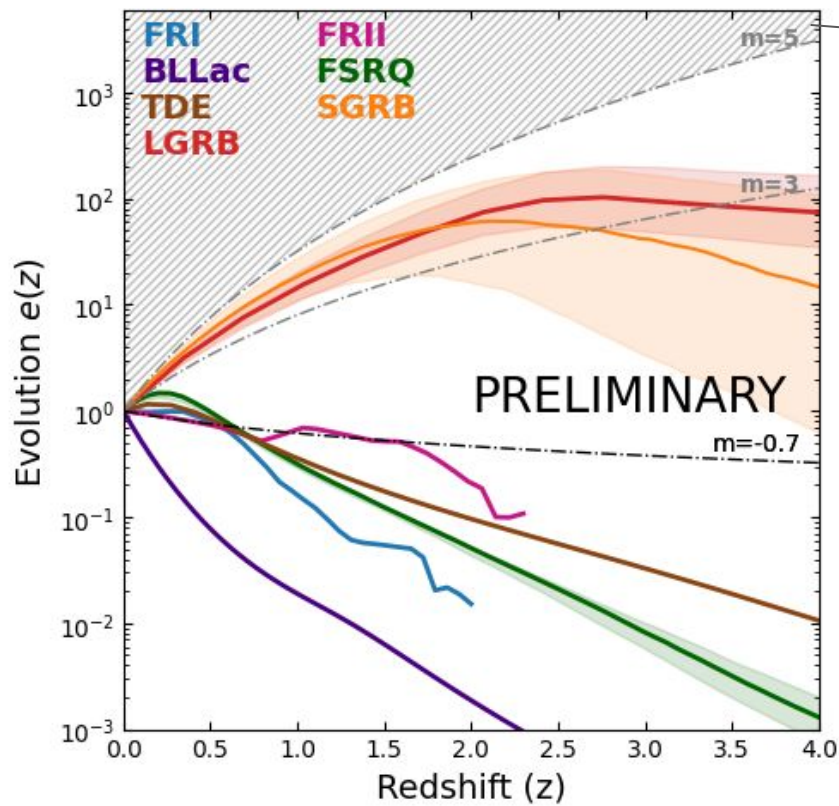
$$E_{\text{kin}} \sim 10^{49} - 10^{50} \text{ erg}$$

$$E_{\text{kin}}^{\text{up}} \lesssim 1 \times 10^{51} \text{ erg}$$

(GW 170817A)

## A. Evolution with Redshift: $e(z)$

Typically assumed  $e(z) \sim (1+z)^m$



e.g. Abdul Halim *et al.* JCAP05 2023 024

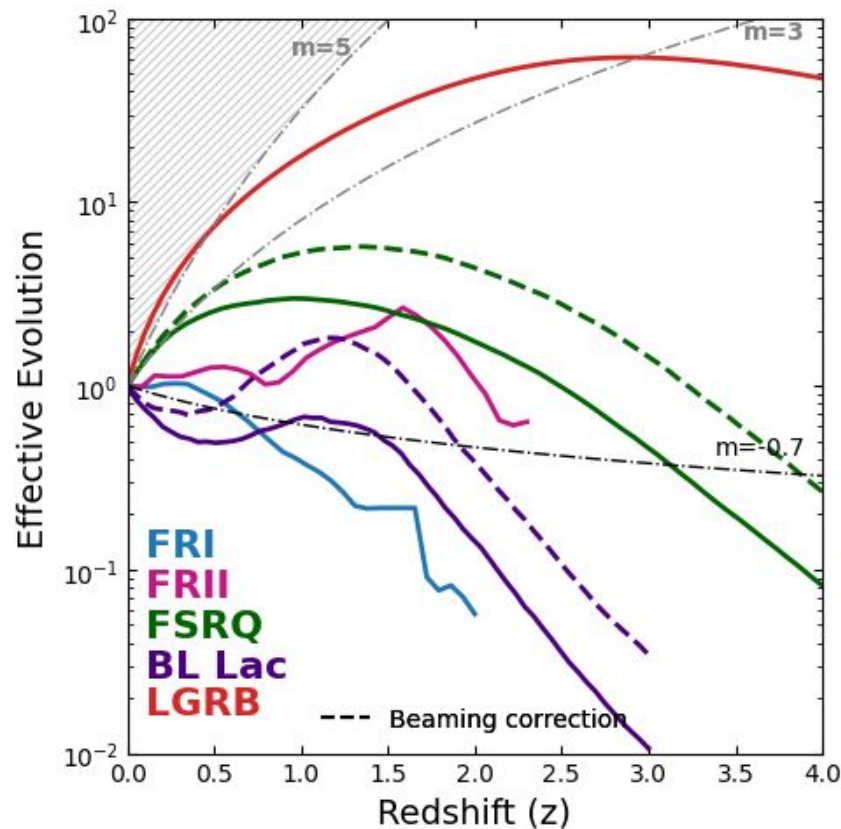
Alves Batista *et al.* JCAP01(2019)002

CdO *et al.*, in preparation

## B. Evolution with Redshift: weighted by injection (Q<sub>kin</sub> or E<sub>kin</sub>)

$$e_{\text{eff}}(z) = \frac{\int dL Q(L) e(z, L)}{\int dL Q(L)}$$

- TDE and SGRB:  
Largely unknown evolution  
(even less if  $e = e(L)$ )



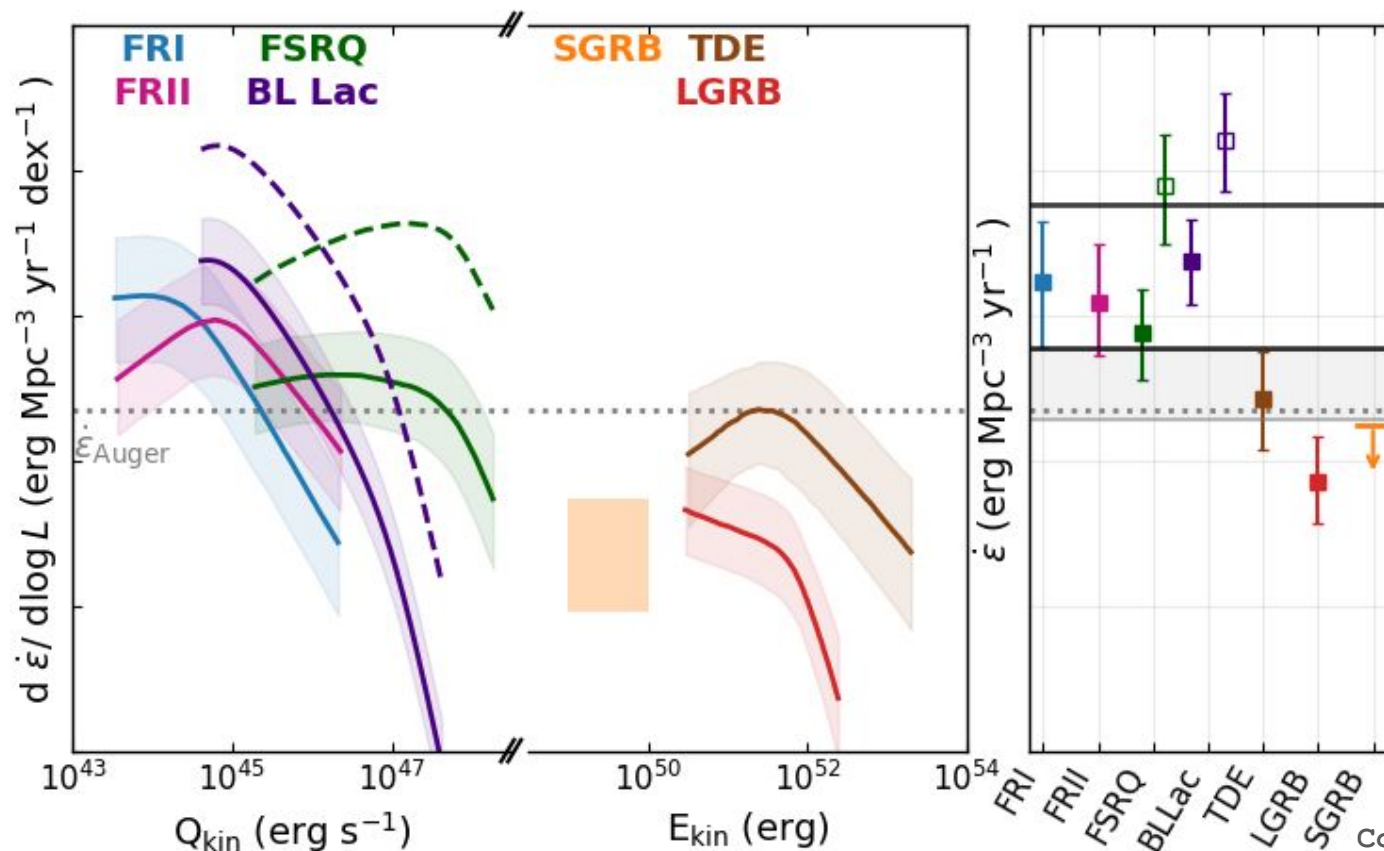
# C. Energy Budget (at z=0)

$$\dot{\epsilon}_{\text{cont}} = \int d \log L \rho(L) Q_{\text{kin}}(L)$$

$$\dot{\epsilon}_{\text{burst}} = \int d \log L \dot{\rho}(L) E_{\text{kin}}(L)$$

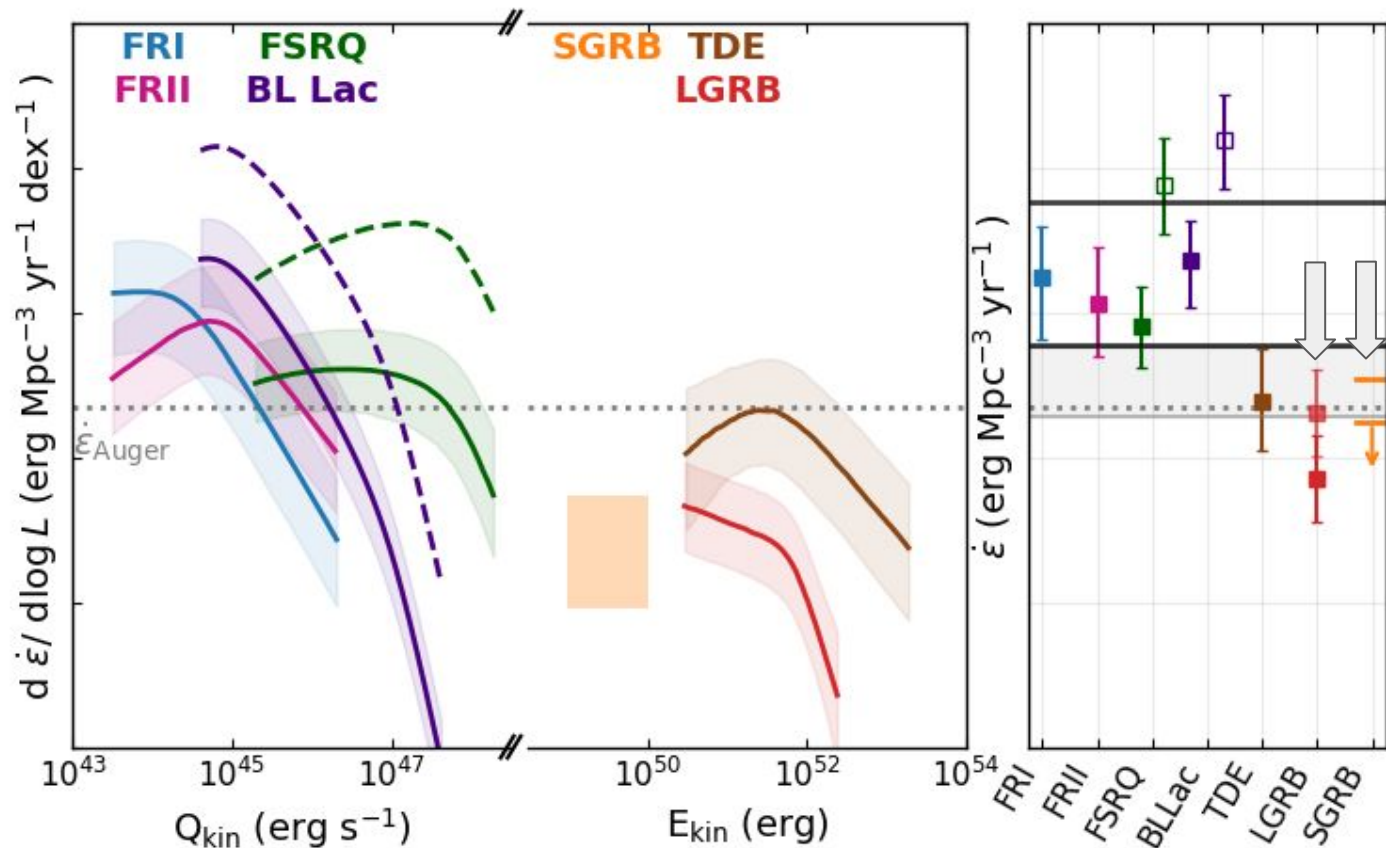
$$= \int d \log L \dot{\rho}_{\text{iso}}(L) E_{\text{kin}}^{\text{iso}}(L)$$

$(10 - 100) \dot{\epsilon}_{\text{Auger}}$



## C. Energy Budget – Volumetric Correction?

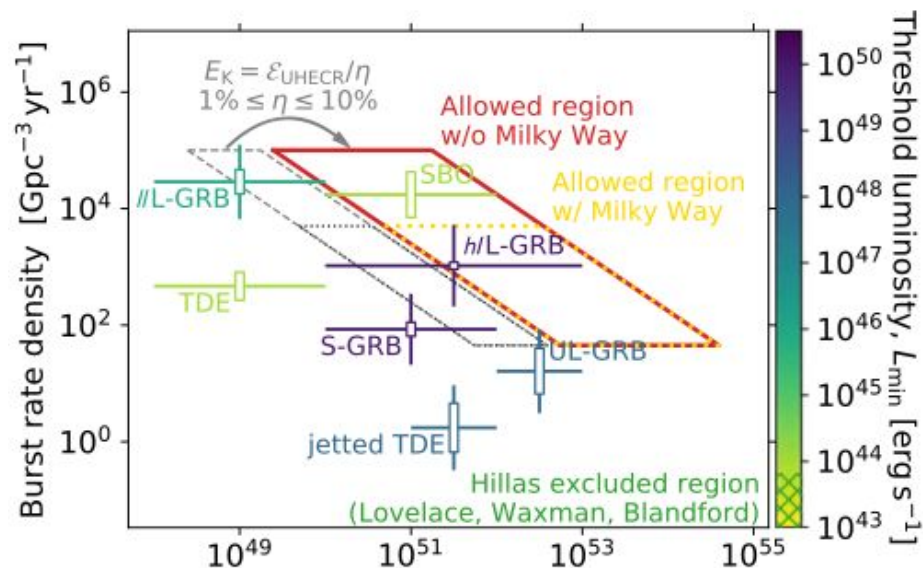
■ Since  $E \geq 10^{17.8}$  eV and  $z_{\max} \sim 1$



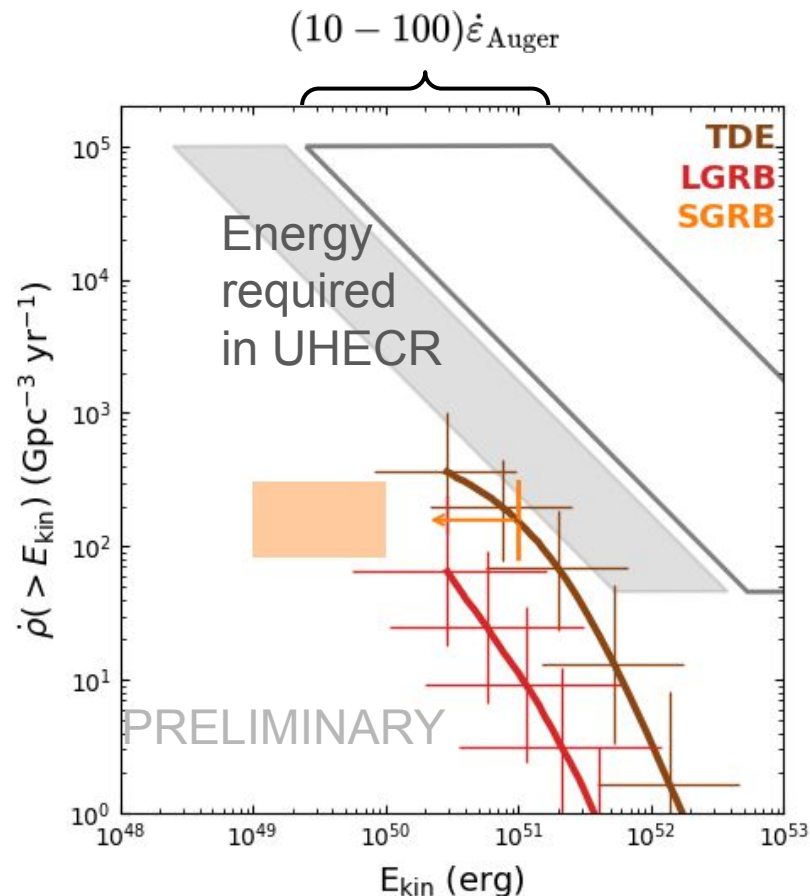
$$\kappa \sim \frac{\int dV e(z)}{\int dV}$$

|                |                   |
|----------------|-------------------|
| SGRB           | 2.8 – 4           |
| LGRB           | ~8                |
| For $m \sim 5$ | $K_{\max} \sim 9$ |

# D. Energy injection vs Burst rate



Marafico et al., ApJ, 2024

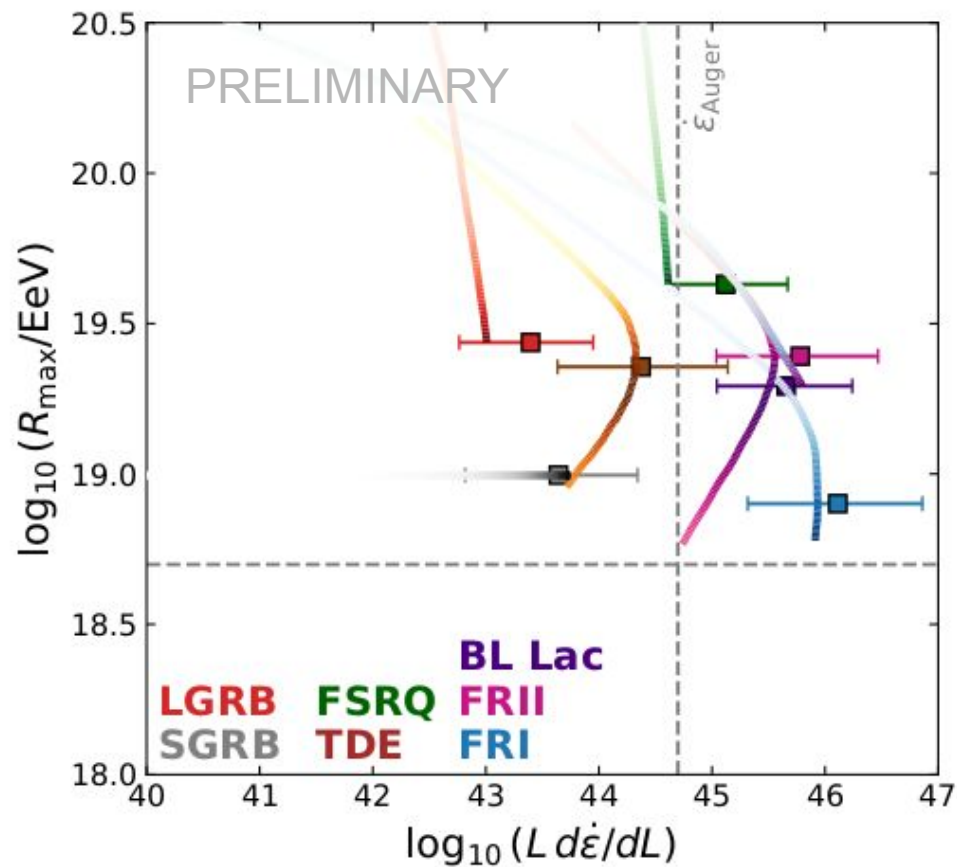


CdO et al., in preparation

# Maximum Rigidity

|                                          |                                                                                                |                                                                                                                             |
|------------------------------------------|------------------------------------------------------------------------------------------------|-----------------------------------------------------------------------------------------------------------------------------|
| <b>Radio Galaxy<br/>(FRI &amp; FRII)</b> | <b>Hillas-Lovelace-<br/>Waxman-Blandford<br/>Limit</b>                                         | $R_{\max} = \eta_{\text{acc}} \left( \frac{Q_{\text{jet}}}{10^{42}} \right)^{1/2}$                                          |
| <b>Gamma AGN<br/>(FSRQ &amp; BL Lac)</b> |                                                                                                |                                                                                                                             |
| <b>TDE</b>                               |                                                                                                | $R_{\max} = \eta_{\text{acc}} \left( \frac{L_{\text{edd}}}{10^{42}} \right)^{1/2}$                                          |
| <b>LGRB</b>                              | <b>S. Razzaque, PRD,<br/>2013</b><br>Liso $\rightarrow \Gamma_0$<br>Ghirlanda et al, A&A, 2018 | $R_{\max}^{\text{homog}} = \eta_{\text{acc}} 120 \left( \frac{\Gamma_0 E_{\text{kin}}^{\text{iso}}}{10^{55}} \right)^{1/3}$ |
| <b>SGRB</b>                              | <b>G. Farrar, ApJ L, 2025</b>                                                                  | $R_{\max} \sim 10 \text{ EeV}$                                                                                              |

# F. Emax distribution



CdO et al., in preparation

Ehlert et al., PRD, 2023

$$\rho = \begin{cases} L^{-y_1} & : L < 0 \\ L^{-y_2} & : L \geq L_0 \end{cases} \quad \beta_i = 2y_i - 3$$

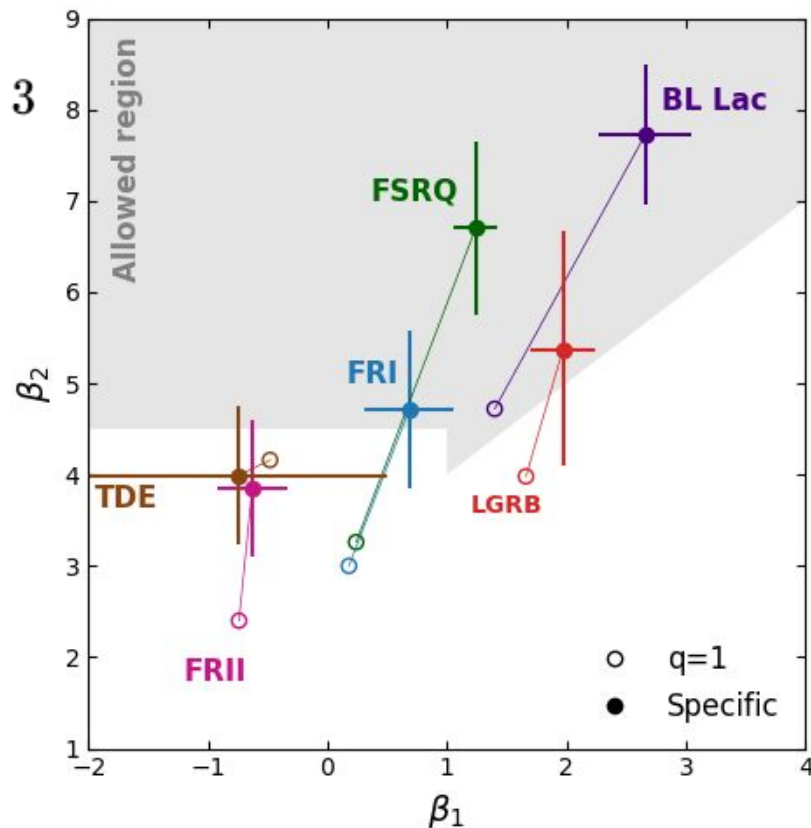
$$E_{\max} \propto L^{1/2}$$

## ■ Example: continuous injection case

$$\beta_i = 1 - (1/r) + \gamma_i/q \cdot r$$

$$\beta(r = 1/2, q = 1) = 2y - 3, \quad y = \gamma + 1$$

$$E_{\max} \propto Q^r \quad \rho \propto L^{-\gamma_i} \quad Q \propto L^q$$



CdO et al., in preparation

# A holistic view of UHECR sources I: populations, energetics, and observational constraints

TABLE IV. Holistic view for proposed populations of UHECR sources.

|          | $R_{\max}$ | $\dot{\epsilon}$ | Narrow | Evol. | Rate |
|----------|------------|------------------|--------|-------|------|
| FRI      | ✓          | ✓                | ✓      | ✓     |      |
| FRII     | ✓          | ✓                | ✗?     | ✓     |      |
| FSRQ     | ✓          | ✓                | ✓      | ✓     |      |
| BL Lac   | ✓          | ✓                | ✓      | ✓     |      |
| TDE      | ✓          | ✓?               | ✗?     | ✓?    | ✗?   |
| LGRB     | ✓          | ✗                | ✓      | ✗?    | ✗    |
| SGRB/BNS | ✓          | ✗                | ✓      | ✓?    | ✗    |

Symbols followed by “?” indicate *unfavoured/favoured* despite the data cannot totally rule out/confirm the population.

# Preliminary Conclusions + Open Questions to be answered in Part II

- Further Astrophysical information required to constraint the sources
- AGN dominance, open questions:
  - effects of evolution of luminosity with redshift?
  - if excluded: important constraint on efficiency parameters
- What it **does not prove**: subdominant source are not accelerators of UHECR → consequences of subdominant sources?



2019/10151-2  
2025/03325-5

2021/01089-1  
2025/19153-9